

## **A Lossy Compression Approach of Compressing Encrypted Images**

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### **ABSTRACT**

*In this paper proposing a novel scheme of compressing encrypted images. In the encryption phase, the original pixel values are masked by a modulo-256 addition with nonrandom numbers that are derived from a secret key. After decomposing the encrypted data into a down sampled subimage and several data sets with a multiple-resolution construction, an encoder calculates the subimage and the Hadamard coefficients of each data set to reduce the data amount. Then, the data calculates subimage and coefficients are regarded as a set of bitstreams. Because of the hierarchical coding mechanism, the principal original content with higher resolution can be reconstructed when more bitstreams are received.*

**Keywords:** Hadamard transform, image compression, image encryption, scalable coding.

### **I.INRODUCTION**

In recent years, encrypted signal processing has motivated to considerable research interests [1]. The discrete Fourier transform and adaptive filtering can be implemented in the encrypted domain based on the homomorphic properties of a cryptosystem [2], [3], and a composite signal representation method can be used to reduced the size of encrypted data and computation complexity [4]. In joint encryption and data hiding, a part of significant data of a plain signal is encrypted for content protection, and the remaining data are used to carry the additional message for copyright protection [5], [6]. With some buyer-seller protocols [7], [8], the fingerprint data are embedded into an encrypted version of digital multimedia to ensure that the seller cannot know the buyer's watermarked version while the buyer cannot obtain the original product on template base process. A number of works on compression encrypted images have been also presented. When a sender encrypts an original image for privacy protection, a channel provider without the knowledge of a cryptographic key and original content may be given to reduce the data amount due to the limited channel resource. In [9], the compression of encrypted data is looked into with the theory of source coding with side information at the decoder, and it is pointed out that the performance of compressing encrypted data may be as good as that of compressing non-encrypted data in theory. Two practical approaches are also given in [9]. In the first one, the original binary image is encrypted by adding a pseudorandom string, and the encrypted data are compressed by finding the syndromes of *low-density parity-check* (LDPC) channel code. In the second one, the original Gaussian sequence is encrypted by adding an independent identically distributed Gaussian sequence, and the encrypted data are quantized and compressed as the syndromes of trellis code. While Schonberg *et al.* [10] study the compression of encrypted data for memoryless and hidden Markov sources using LDPC codes, Lazzeretti and Barni [11] present several lossless compression methods for encrypted gray and color images

by employing LDPC codes into various bit planes. In [12], the encrypted image is decomposed in a progressive manner, and the data in most important planes are compressed using rate-compatible punctured turbo codes.

## **II.PROPOSED SYSTEM**

In the proposed system, a series of pseudorandom numbers derived from a secret key are used to encrypt the original pixel values. After decomposing the encrypted data into a subimage and several data sets with a multiple-resolution construction, an encoder quantizes the subimage and the Hadamard coefficients of each data set to effectively reduce the data amount. Then, the quantized subimage and coefficients are regarded as a set of bitstreams. When having the encoded bitstreams and the secret key, a decoder can first obtain an approximate image by decrypting the quantized subimage and then reconstructing the detailed content using the quantized coefficients with the aid of spatial correlation in natural images.

### **2.1 IMAGE ENCRYPTION**

The original image is in an uncompressed format and that the pixel values are within [0, 255], and denote the numbers of rows and columns as N1 and N2 and the pixel number as ( $N=N1 \times N2$ ). Therefore, the bit amount of the original image is 8N. The content owner generates a pseudorandom bit sequence with a length of 8N. Here, we assume the content owner and the decoder has the same pseudorandom number generator (PRNG) and a shared secret key used as the seed of the PRNG. Then, the content owner divides the pseudorandom bit sequence into N pieces, each of which containing 8 bits, and converts each piece as an integer number.

### **2.2 ENCRYPTED IMAGE ENCODING**

Although an encoder does not know the secret key and the original content, he can still compress the encrypted data as a set of bitstreams. First, the encoder decomposes the encrypted image into a series of subimages and data sets with a multiple-resolution construction. The encoder transmits the bitstreams with an order. If the channel bandwidth is limited, the latter bitstreams may be abandoned.

A higher resolution image can be reconstructed when more bitstreams are obtained at the receiver side.

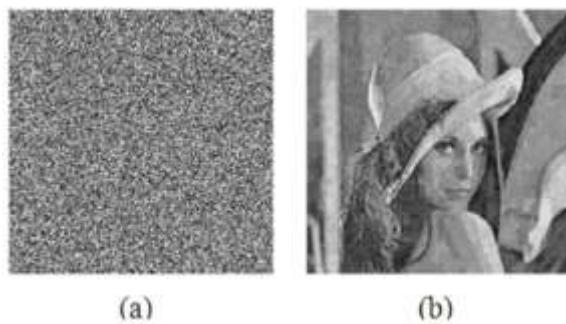


### 2.3 IMAGE DECRYPTION

This module is the opposite as such as Encryption module where the Key file should be also specified same as that of encryption part. Then the user should select the encrypted image and then should select the extract button so that the hidden message is displayed in the text area specified in the application or else it is extracted to the place where the user specifies it.

### 2.4 IMAGE RECONSTRUCTION

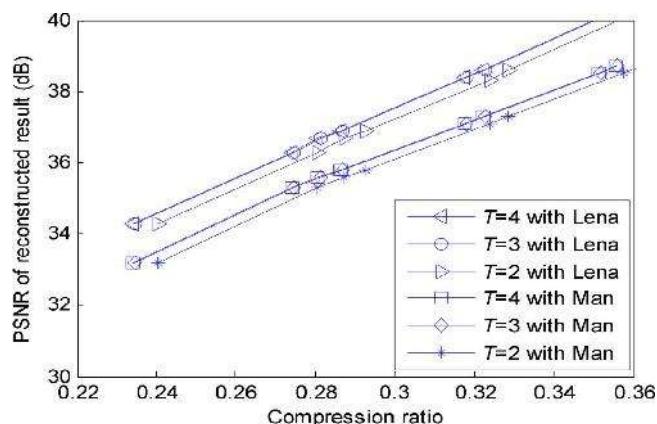
With the bitstreams and the secret key, a receiver can reconstruct the principal content of the original image, and the resolution of the reconstructed image is dependent on the number of received bitstreams. While BG provides the rough information of the original content, BS can be used to reconstruct the detailed content with an iteratively updating procedure.



(a)

(b)

### III. EXPERIMENTAL RESULTS



We also compare the proposed scheme with the previous methods and unencrypted JPEG compression. Because it is difficult to completely remove the spatial data redundancy by the operations in the encrypted domain, the rate-distortion performance of the proposing scheme is significantly lower than that of JPEG compression. In this introducing scheme, the original values of all pixels are encrypted by a modulo-256 addition with pseudorandom numbers, leading to semantic security. That explains the proposing scheme is more suitable for real-time decompression and some scenarios without feedback channel.

## ADVANTAGES

1. The subimage is decrypted to produce an approximate image; the quantized data of Hadamard coefficients can provide more detailed information for image reconstruction.
2. Bitstreams are generated with a multiple-resolution construction, the principal content with higher resolution can be obtained when more bitstreams are received.

## IV. CONCLUSION

This paper has proposing a novel scheme for compressing encrypted images. The original image is encrypted by a modulo-256 addition with pseudorandom numbers, and the encoded bitstreams are made up of a quantized encrypted subimage and the quantized remainders of Hadamard coefficients. At the receiver side, while the subimage is decrypted to produce an approximate image, the quantized data of Hadamard coefficients can provide more detailed information for image reconstruction. Since the bitstreams are generated with a multiple-resolution construction, the principal content with higher resolution can be obtained when more bitstreams are received.

## V.ENHANCEMENT

Proposing a lossy compression scheme for images having their pixel value encrypted with a standard stream cipher. Suppose the size of an original 8-bit grayscale image is  $N_1 \times N_2$ , its encrypted version is  $E$ . We downsample the encrypted image by a factor of two in both dimensions and generate four sub-images, denoted as  $E_{00}$ ,  $E_{01}$ ,  $E_{10}$  and  $E_{11}$ . Here, the first digit “1”(or “0”) denotes that the horizontal offset for downsampling is 1 (or 0) pixel, the second digit “1”(or “0”) denotes that the vertical offset is 1 (or 0) pixel. The uncompressed  $E_{00}$  sub-image will be transmitted to the decoder. To compress, assume only  $N = 2$  bit-planes of subimage  $E_{11}$  are transmitted. We denote the decimal value of  $N = 2$  bits  $b_7b_6$  as  $w \in [0, 2N - 1] = [0, M - 1]$ . Let  $\Delta$  be the stepsize corresponding to the most significant bit-plane of the two bits, so  $\Delta \geq 2^7$  when  $N < 8$ . The bit rate per information source bit (corresponding to compression rate) is  $R \geq 0.25$   $0.25 \Delta N / 8$ . We predict every pixel of  $E_{11}$  using its four neighbor pixels with the context adaptive interpolation (CAI) scheme first. Then we match the bit-plane values ( $b_7b_6$ ) of every CAI prediction pixel ( $pred_0$ ) with the received  $b_7b_6$ . If they match with each other, we accept  $pred_0$  as  $r$ , otherwise searching for the best-matching prediction among the interpolation values between every two pixels of its four neighbors.

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